

The influence of Moore and von-Neumann neighbourhood on the dynamics of pedestrian movements

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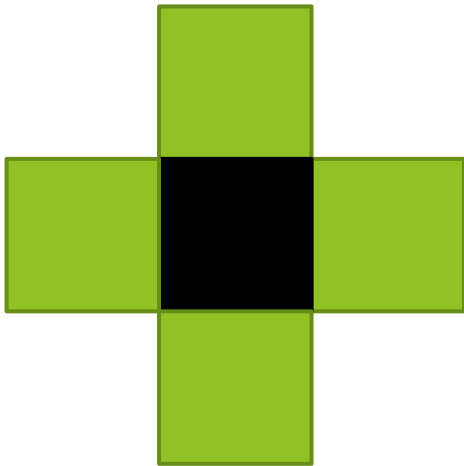
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- ▶ Model/Software
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- ▶ Results and Conclusion

Introduction

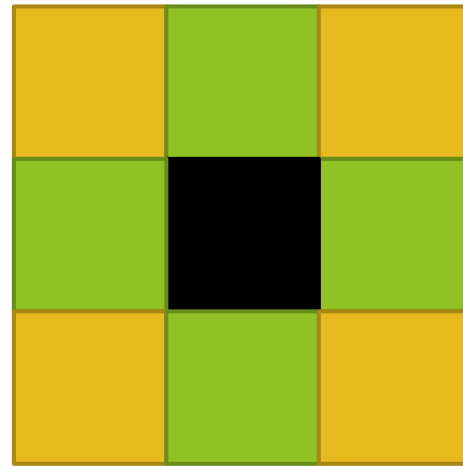
- ▶ A model/software-tool needs some kind of „wayfinding“
- ▶ This is done in most of the cases by using a distance map /potential field / floor field...
- ▶ Normally, a square lattice for the distance map is used, thus the question is: how is it calculated?
- ▶ In this presentation, we discuss the von-Neumann neighbourhood and the Moore neighbourhood for the underlying map

Introduction

- The Moore neighbourhood and the von-Neumann neighbourhood

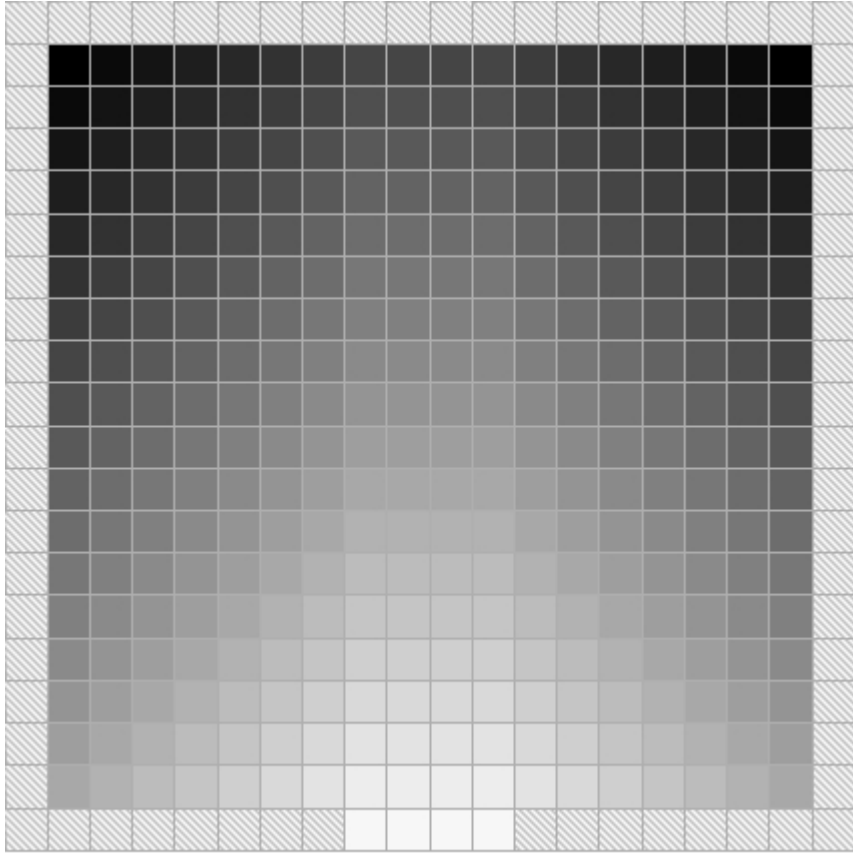


Von-Neumann

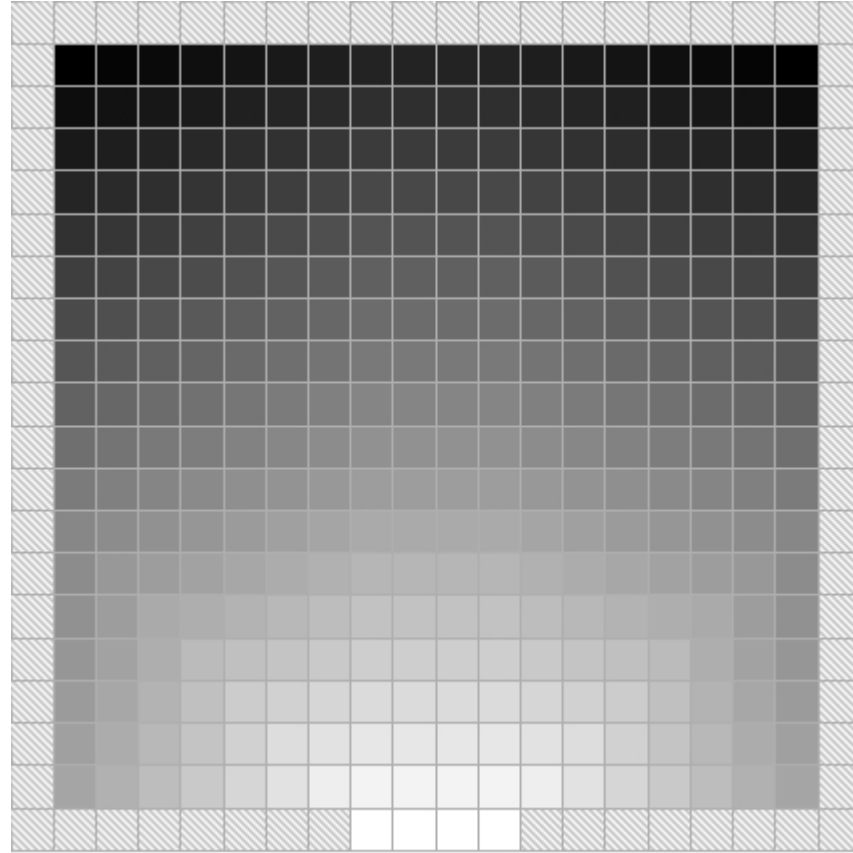


Moore

Introduction



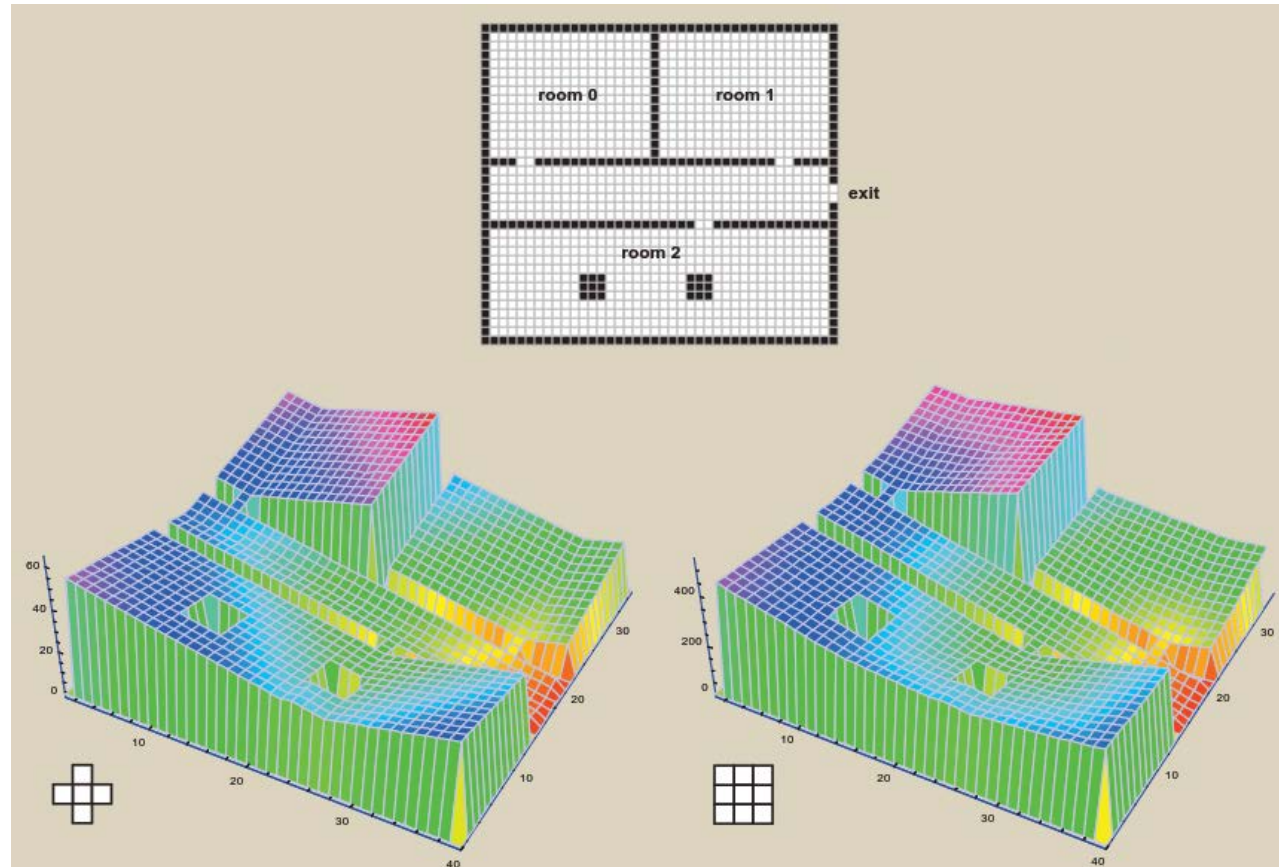
Von-Neumann



Moore

Introduction

- The Moore neighbourhood makes the potential field „more smooth“



Model/Software

- ▶ QuoVadis Software developed by Jörg Meister
- ▶ FloorFieldModel with „attractiveness factor“

$$p_{ij} = N * \underbrace{e^{(k_S * (S_{ij} - S_{00}))}}_{\text{static floor field}} * \underbrace{e^{(k_D * (D_{ij} - D_{00}))}}_{\text{dynamic floor field}} * \underbrace{(1 - n_{ij})}_{\text{pedestrian in cell?}} * \underbrace{(1 - \xi_{ij})}_{\text{wall?}} * \underbrace{\min(1, e^{D_{00} - D_{00}^{\text{max}}})}_{\text{attractiveness}}$$

If Simulation only „interested“ in static floor field:

$$k_S = 10, k_D = 0$$

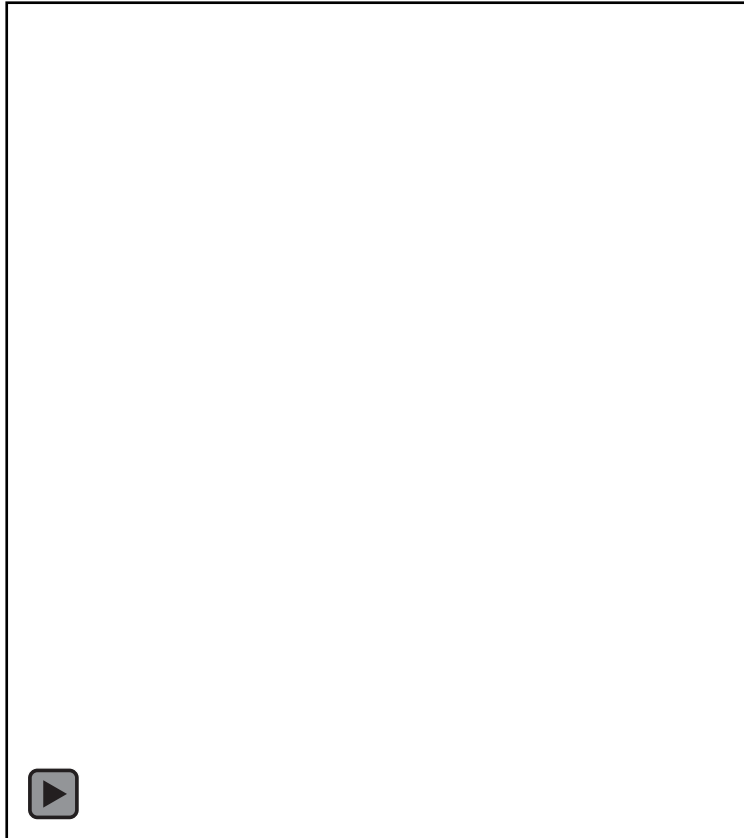
If Simulation runs in „original“ mode:

$$k_S = 3, k_D = 1$$

- ▶ Parallel Update

Scenarios

► Single Room, 1 pedestrian

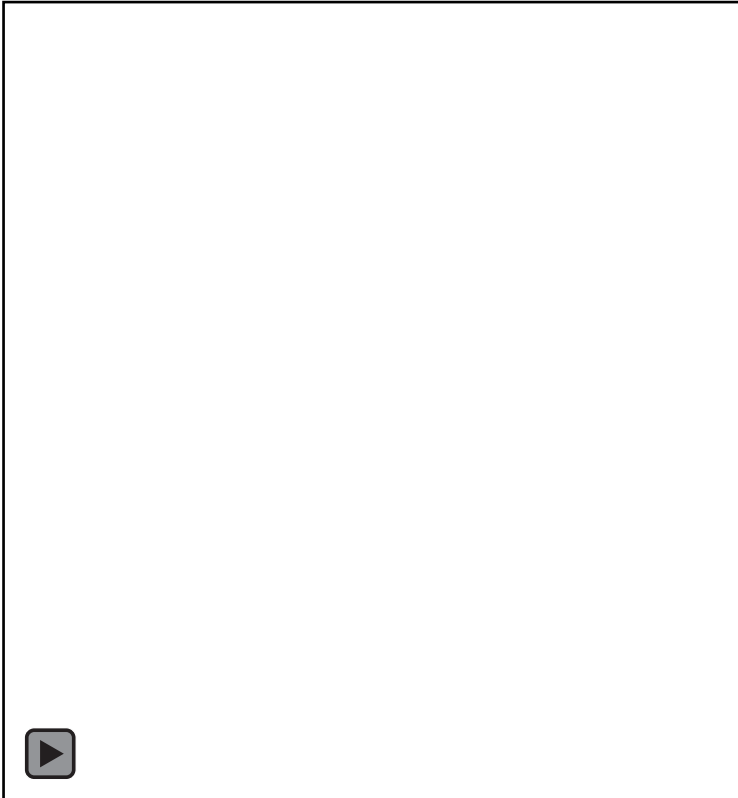


Left: von-Neumann, 28 steps
Right: Moore, 19 steps

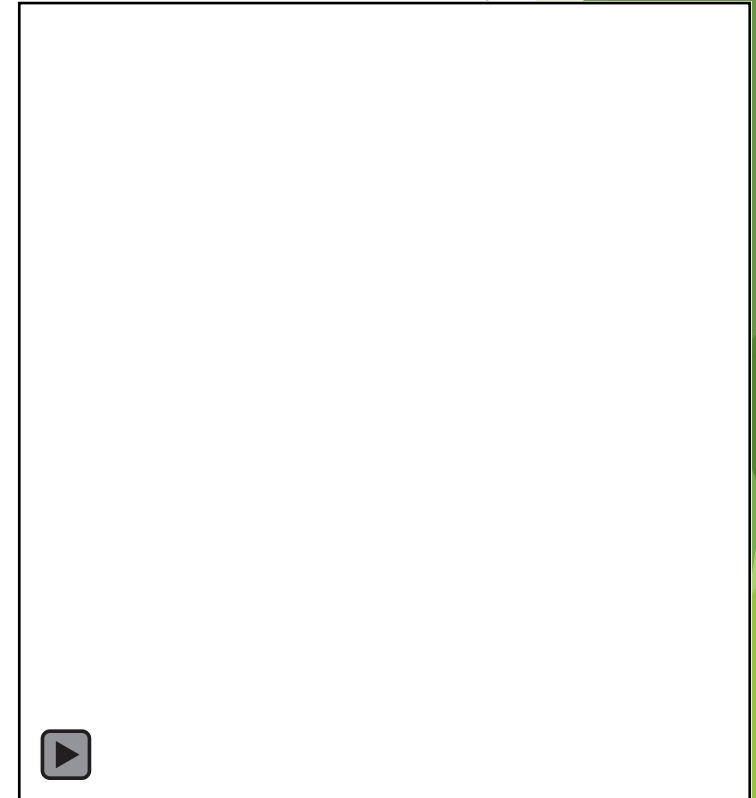


Scenarios

► Single Room, multiple pedestrians

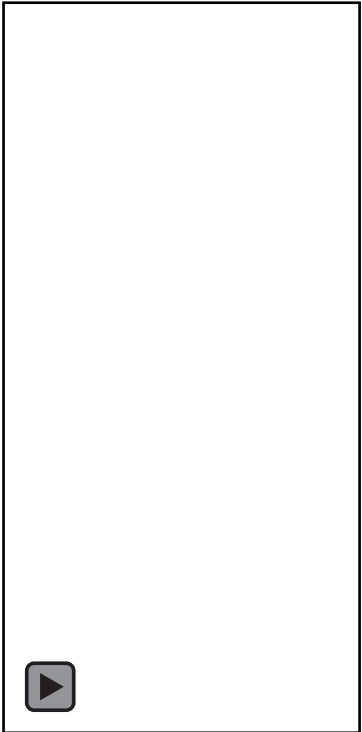


Left: von-Neumann, 51 steps
Right: Moore, 38 steps

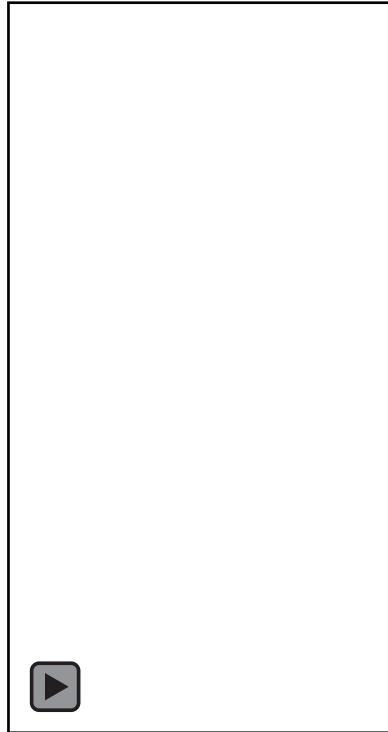


Scenarios

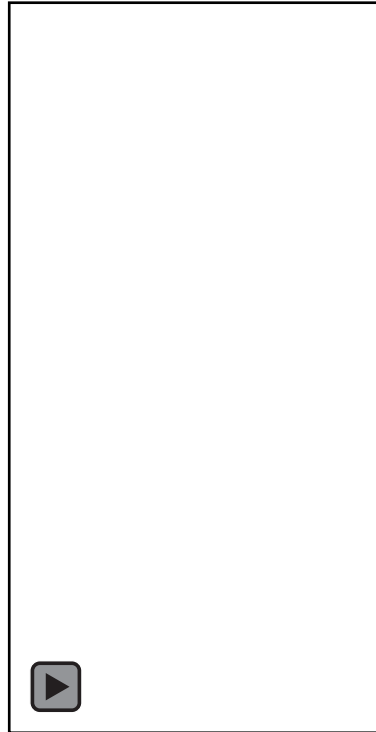
► Simple floor



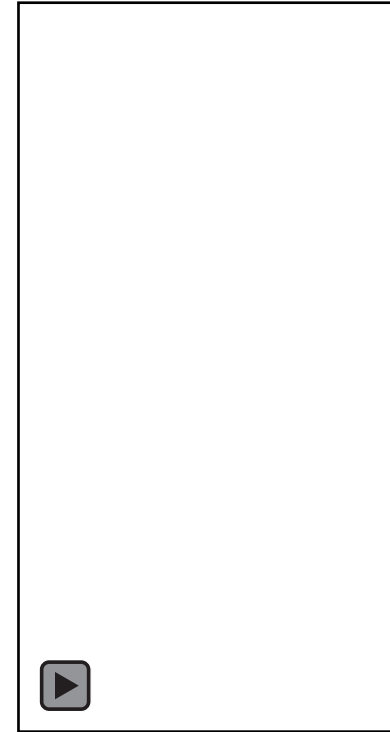
Von Neumann



Moore



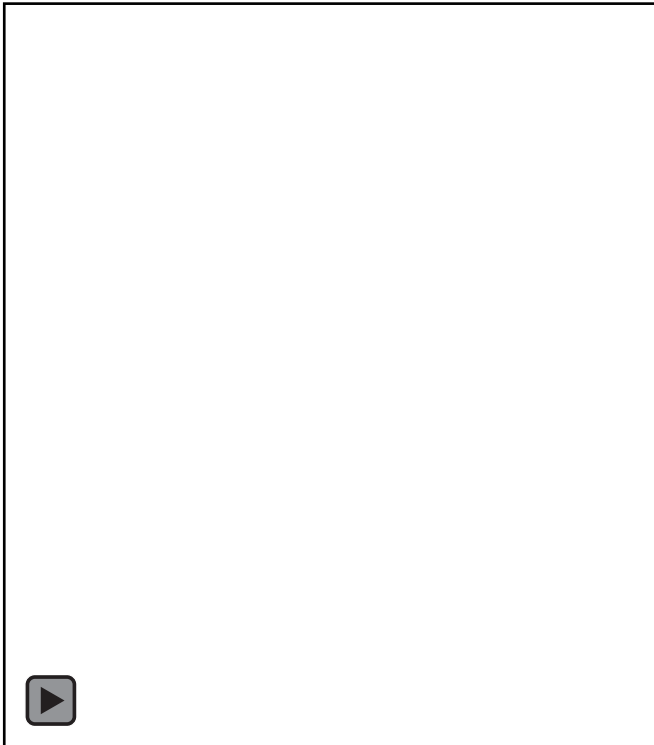
Von Neumann



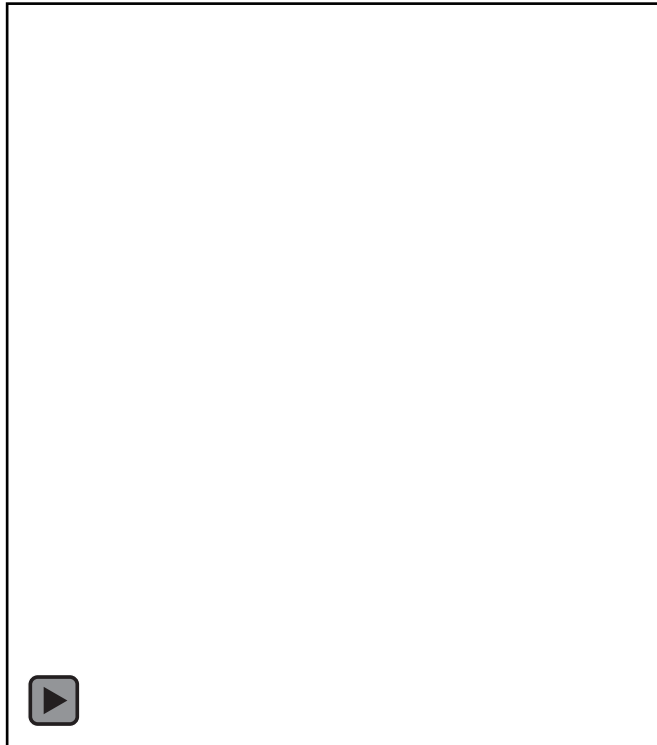
Von Neumann - dyn. FloorField

Scenarios

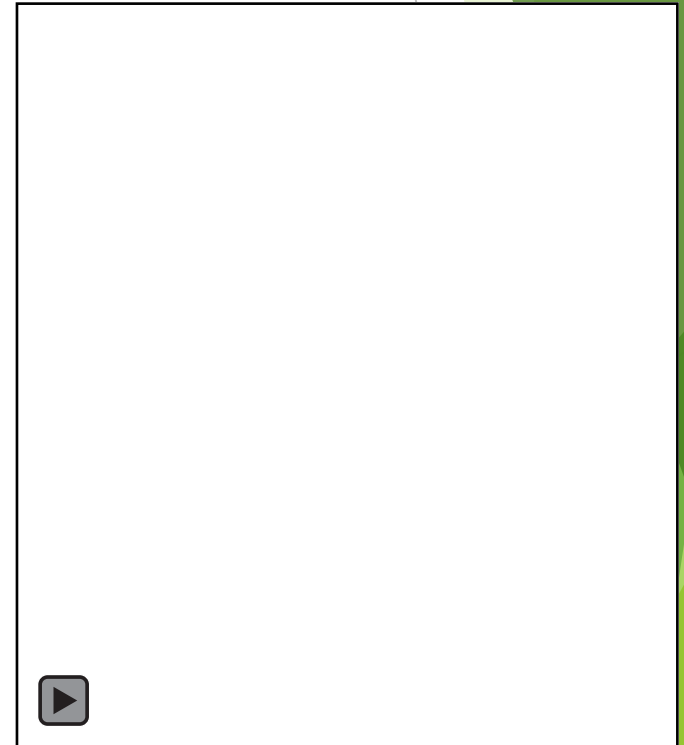
► Corner



Von Neumann



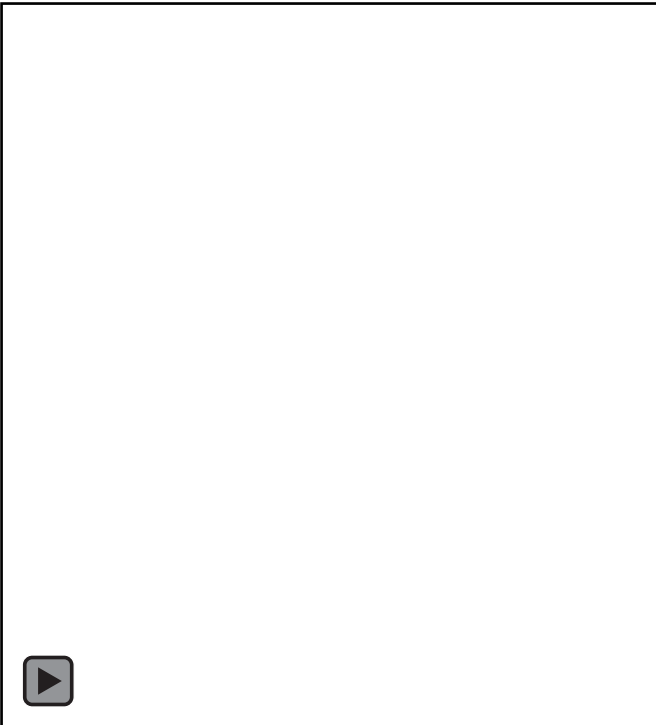
Moore



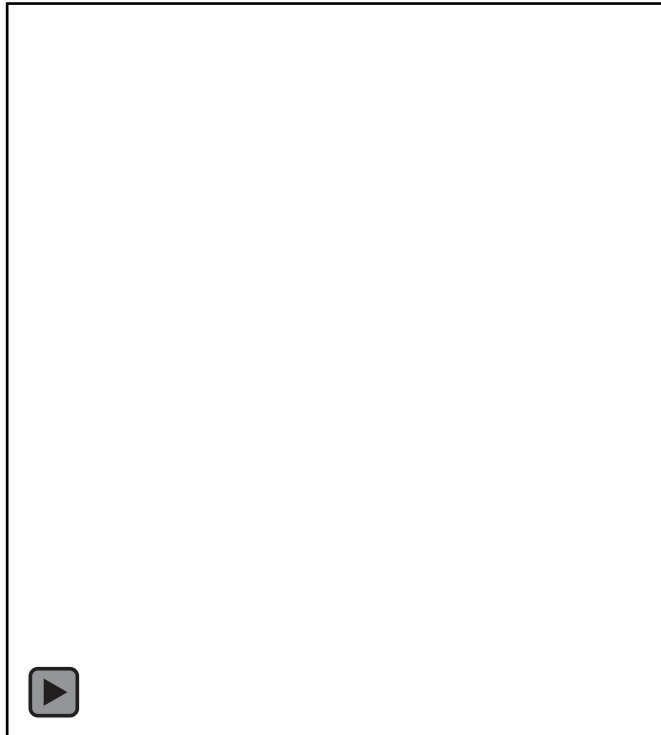
Von Neumann, dyn. FloorField

Scenarios

- ▶ Corner, different pedestrian placement



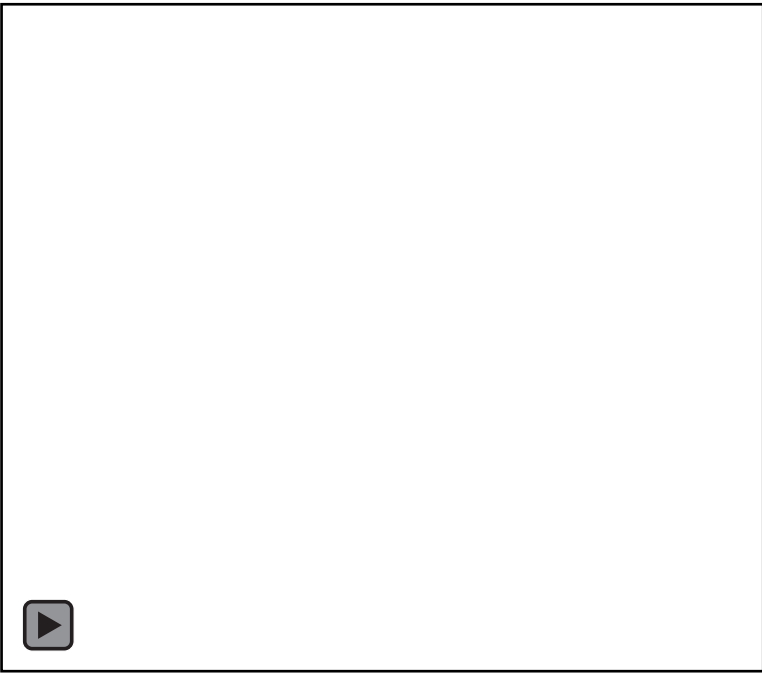
Von Neumann



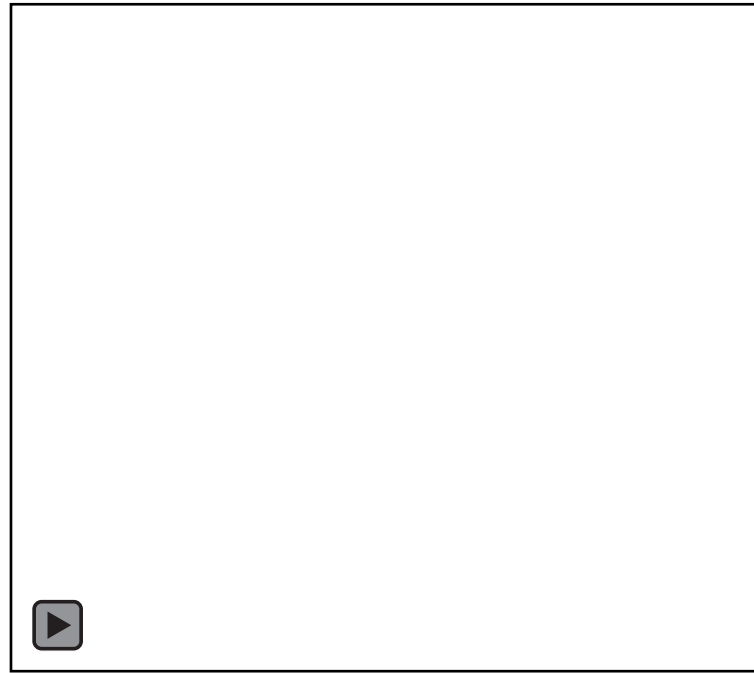
Von Neumann

Scenarios

► 6 Rooms



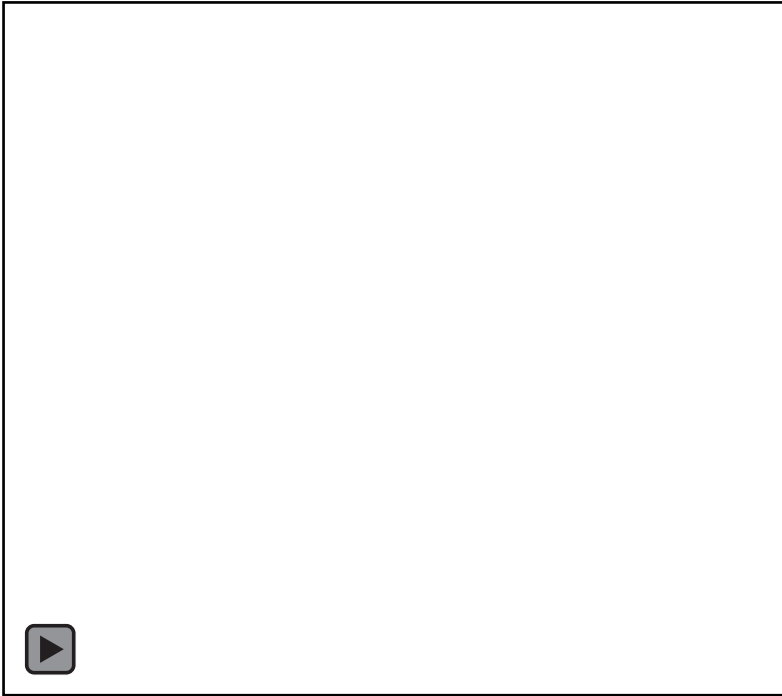
Von Neumann



Moore

Scenarios

- ▶ 6 Rooms, now with dynamic FloorField



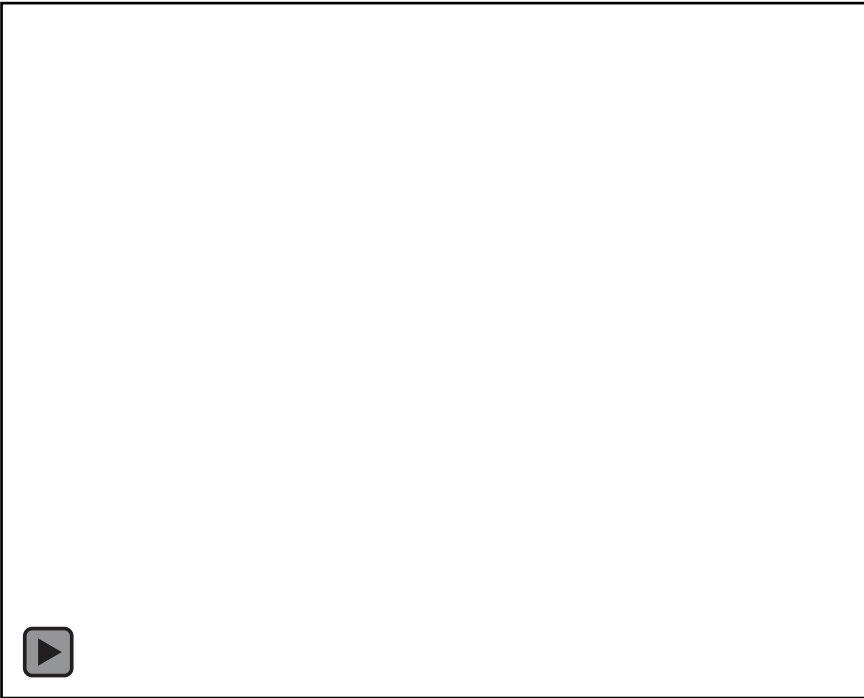
Von Neumann



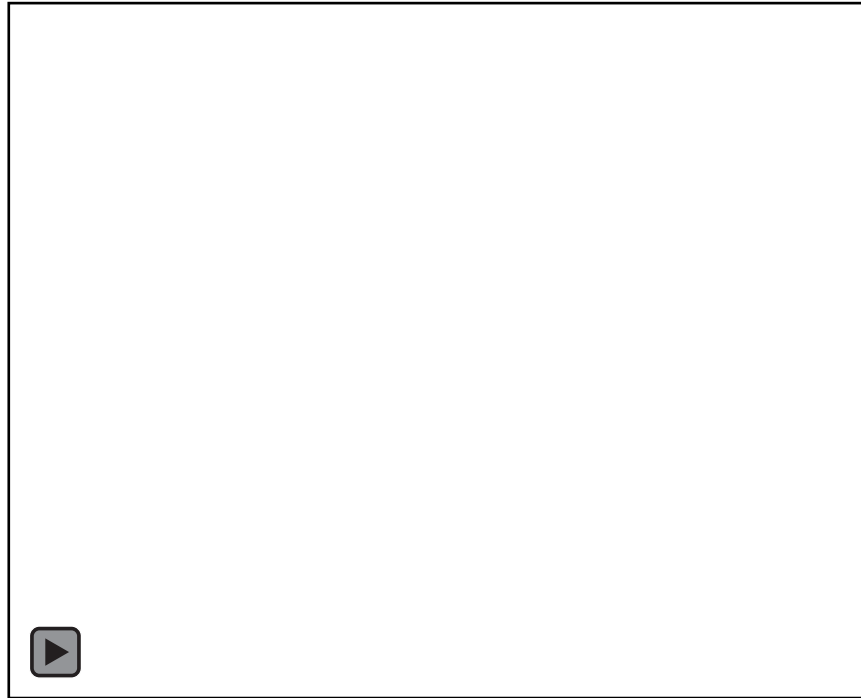
Moore

Scenarios

- More rooms, now 9 and a corner...



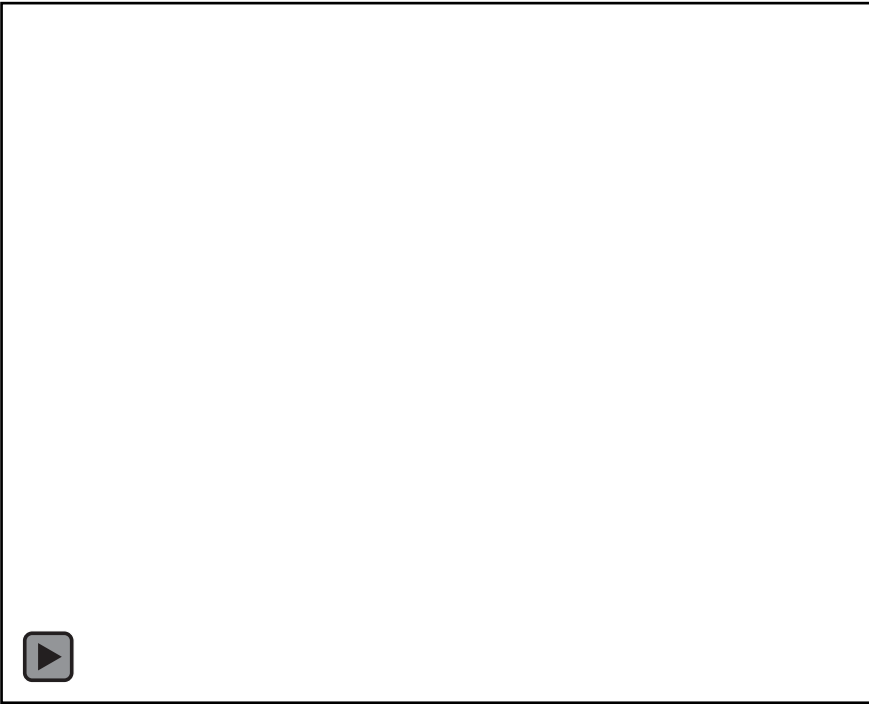
Von Neumann



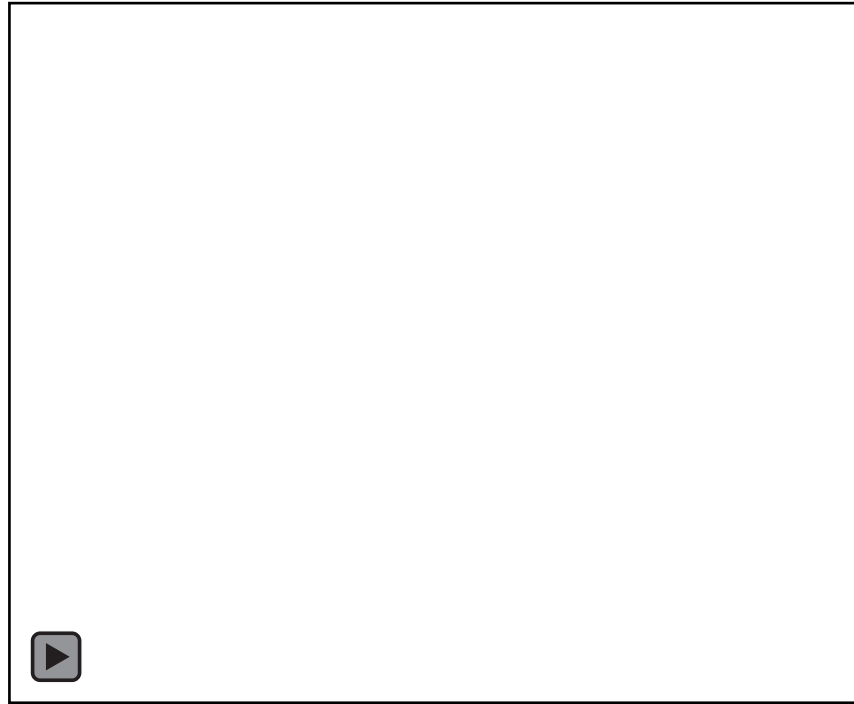
Moore

Scenarios

► ... and now with the dynamic FloorField



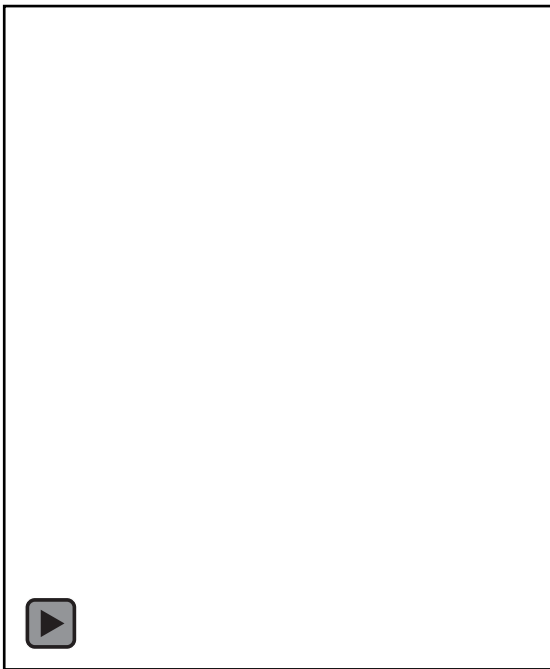
Von Neumann



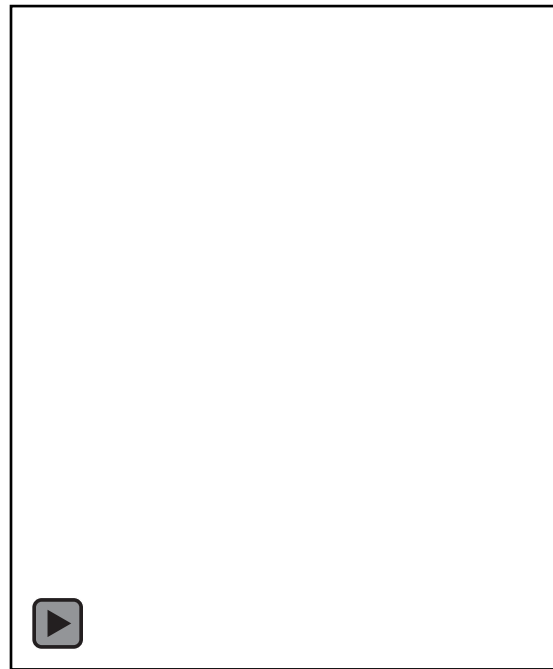
Moore

Scenarios

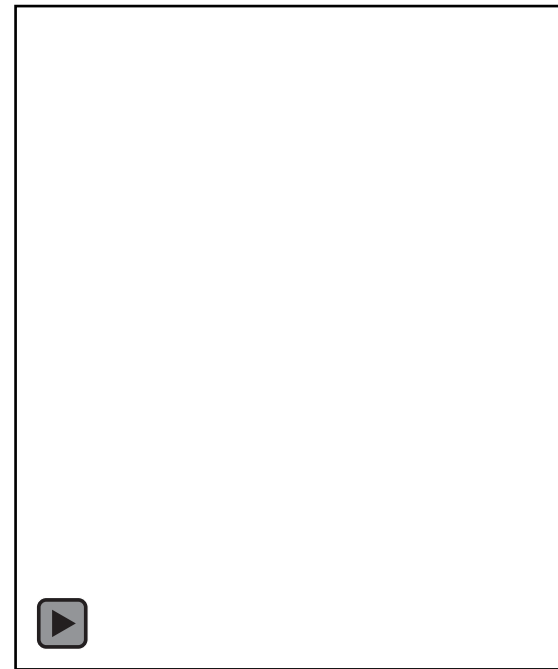
- Because we like rooms and corners, here is the full dose... and additionally with dyn. FloorField!



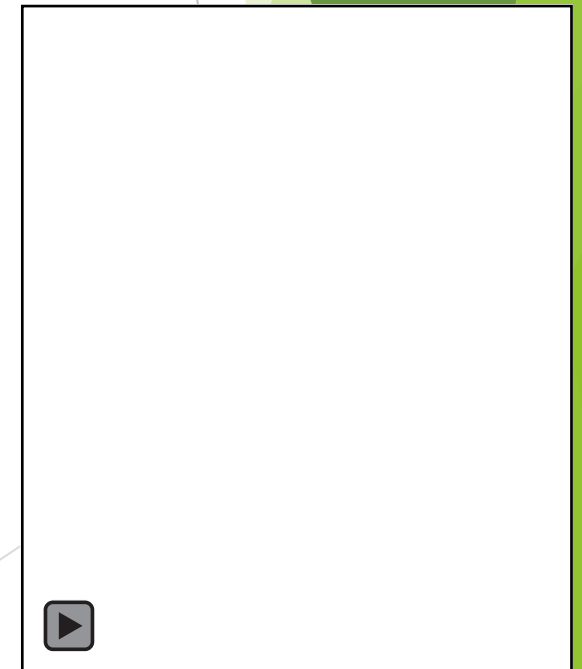
Von Neumann



Moore



Von Neumann, dyn. FF



Moore, dyn. FF

Results and Conclusions

- ▶ If you place pedestrians in your simulation, be aware that you can get „strange“ results!
- ▶ If a von-Neumann neighbourhood is used with very low „randomness“, results look not „real“.
- ▶ If „randomness“ is introduced (here: dyn. FloorField), the results look more „real“ by using a von-Neumann neighbourhood.
- ▶ If a Moore-neighbourhood is used, more „randomness“ is introduced in straight floors.
- ▶ Moore neighbourhood has more „uncertainties“: How to deal with moving over corner, speeds $> 1\text{cell/sec}$, forbidden moves between two pedestrians,...

Results and Conclusions

- ▶ Here we have only rectangle and „fitting-to-the-lattice“ geometries, what happens to non-rectangular geometries?
- ▶ How do results change, if the scene is rotated in any possible angle? – The results will change, but how to deal with this?
- ▶ We see, more questions than answers!

Thanks for your
attention!