

MULTI-STAGE OPTIMIZATION OF ROAD NETWORKS FOR AUTOMATED DRIVING

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Bahman Madadi

Dr. Rob van Nes

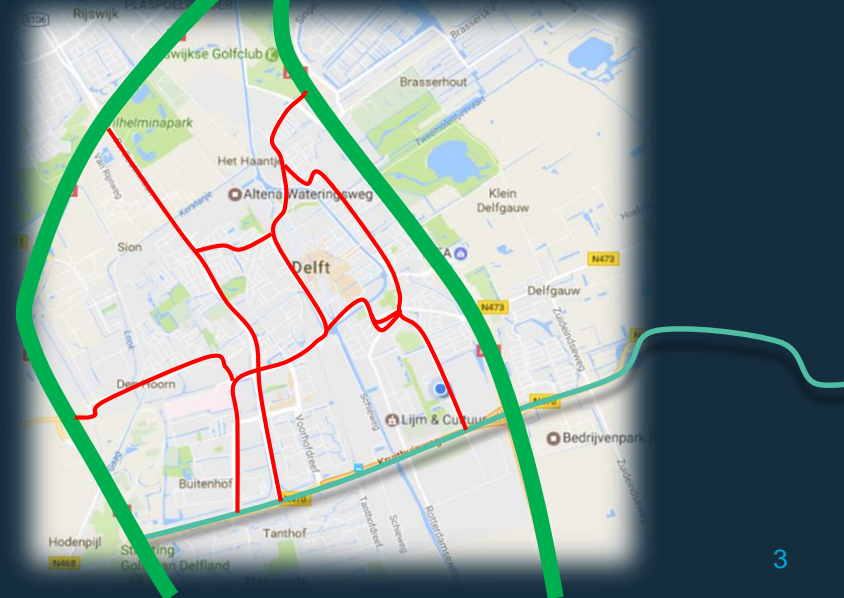
Dr. Maaïke Snelder

Prof. dr. Bart van Arem

RESEARCH QUESTION

What are the possible network configurations for AVs?
(e.g., dedicated lanes, zones, links, everywhere)

We chose AD subnetworks: Delft case 1



EXPLORING AD SUBNETWORKS

Purpose:

Macroscopic static TA & explore subnetwork concept

Methodology steps:

Subnetwork concept

Feasible road selection

Scenarios

Impacts

INTRODUCING AD SUBNETWORKS: FORMULATION

Minimize

$$Z = \sum_m \frac{1}{\mu_m} \sum_{w \in W} \sum_{r \in R^{wv}} F_m^{w,r} \ln F_m^{w,r} - \sum_m \frac{1}{\beta_m} \sum_{w \in W} \sum_{r \in R^{wv}} F_m^{w,r} \ln PS_m^{w,r} + \sum_{m \in M} \sum_{a \in A} \int_0^{q_a} c_{m,a}(x) dx,$$

s.t.

$$q_a = \gamma_0(f_{0,a} + f_{1,a}), \quad \forall a \in A_0,$$

$$q_a = \gamma_0 f_{0,a} + \gamma_1 f_{1,a}, \quad \forall a \in A_1,$$

$$\sum_{r \in R^{wv}} F_m^{w,r} = D_m^w, \quad \forall w \in W, \forall m \in M,$$

$$\sum_{w \in W} \sum_{r \in R^{wv}} F_m^{w,r} \delta_{m,a}^{w,r} = f_{m,a}, \quad \forall a \in A, \forall m \in M,$$

$$F_m^{w,r} \geq 0, \quad \forall w \in W, \forall m \in M, \forall r \in R^{wv}.$$

$$t_a(q_a) = t_a^0 \left[1 + \alpha_a \left(\frac{q_a}{\Lambda_a} \right)^{b_a} \right].$$

And link cost per class is:

$$c_{0,a}(q_a) = \theta_0 l_a + \eta_0 t_a(q_a), \quad \forall a \in A,$$

$$c_{1,a}(q_a) = \theta_0 l_a + \eta_0 t_a(q_a), \quad \forall a \in A_0,$$

$$c_{1,a}(q_a) = \theta_1 l_a + \eta_1 t_a(q_a), \quad \forall a \in A_1.$$

$$p_m^{w,r} = \frac{\exp(-\mu_m C_m^{w,r} + \beta_m \ln PS_m^{w,r})}{\sum_{r \in R^{wv}} \exp(-\mu_m C_m^{w,r} + \beta_m \ln PS_m^{w,r})}, \quad \forall w \in W, \forall m \in M, \forall r \in R^{wv}, \quad (1)$$

where path-size penalty is defined as:

$$PS_m^{w,r} = \sum_{a \in r} \left(\frac{l_a}{l_r} \right) \left(\frac{1}{\sum_{r \in R^{wv}} \delta_{m,a}^{w,r}} \right), \quad (2)$$

and route-based travel cost (generalized travel cost) for two classes are given as:

$$C_0^{w,r} = \sum_{a \in A} \delta_{0,a}^{w,r} F_0^{w,r} (\theta_0 l_a + \eta_0 t_a(q_a)), \quad (3)$$

$$C_1^{w,r} = \sum_{a \in A_0} \delta_{1,a}^{w,r} F_1^{w,r} (\theta_0 l_a + \eta_0 t_a(q_a)) + \sum_{a \in A_1} \delta_{1,a}^{w,r} F_1^{w,r} (\theta_1 l_a + \eta_1 t_a(q_a)). \quad (4)$$

$$TTC = \sum_{a \in A_0} (\eta_0 \bar{t}_a + \theta_0 l_a) (\bar{f}_{0,a} + \bar{f}_{1,a}) + \sum_{a \in A_1} [(\eta_0 \bar{t}_a + \theta_0 l_a) \bar{f}_{0,a} + (\eta_1 \bar{t}_a + \theta_1 l_a) \bar{f}_{1,a}], \quad (5)$$

$$TTT = \sum_{a \in A} \bar{t}_a (\bar{f}_{0,a} + \bar{f}_{1,a}), \quad (6)$$

$$TTD = \sum_{a \in A} l_a (\bar{f}_{0,a} + \bar{f}_{1,a}). \quad (7)$$

DELFT CASE 1: INTRODUCING AD SUBNETWORKS (SUMMARY)

Scenarios:

3 (5) subnetworks & 5 (7) demand scenarios

Impacts:

TTC, TTT, TTD & distribution in different road types

Sensitivity analysis:

TA AV parameters

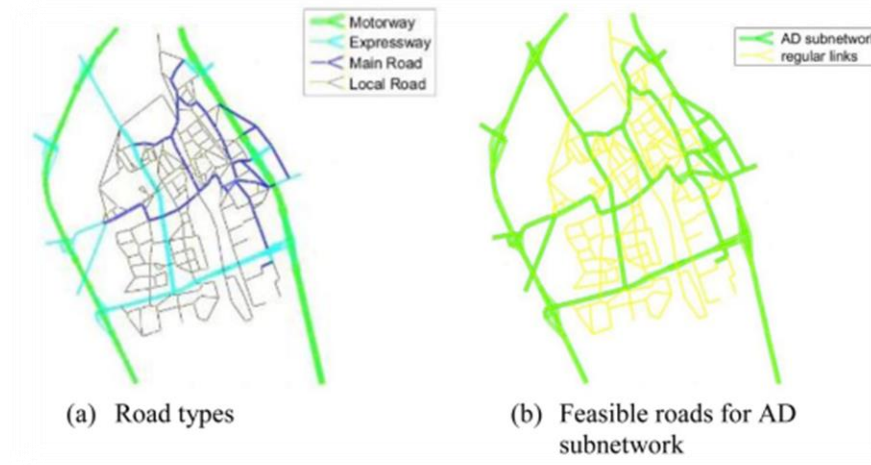
Conclusion:

Optimizing trade-offs between costs and benefits

RESEARCH QUESTION

How can we optimize this configuration (selection)?

Delft case 2: Optimizing urban road networks for AD



OPTIMIZING URBAN ROAD NETWORKS FOR AD

Purpose:

Define optimization problem, solutions, future extensions

Methodology:

Formulate a bi-level optimization problem

Find (develop) solution methods & measure performance

Find methodology shortcomings & best extensions (future steps)

OPTIMIZING URBAN ROAD NETWORKS FOR AD: FORMULATION

LLMP:

$$\begin{aligned} \min_{f_{m,a}} \quad Z_L = & \sum_m \frac{1}{\mu_m} \sum_{w \in W} \sum_{r \in R^w} F_m^{w,r} \ln F_m^{w,r} - \sum_m \frac{1}{\beta_m} \sum_{w \in W} \sum_{r \in R^w} F_m^{w,r} \ln PS_m^{w,r} \\ & + \sum_{m \in M} \sum_{a \in A_0} \int_0^{q_a} \theta_0 l_a + \eta_0 t_a(x) dx \\ & + \sum_{a \in A_1} \int_0^{q_a} \theta_0 l_a + \eta_0 t_a(x) dx + \sum_{a \in A_1} \int_0^{q_a} \theta_1 l_a + \eta_1 t_a(x) dx \quad (1) \end{aligned}$$

s.t.

$$q_a = \gamma_0 (f_{0,a} + f_{1,a}) \quad , \forall a \in A_0 \quad (2)$$

$$q_a = \gamma_0 f_{0,a} + \gamma_1 f_{1,a} \quad , \forall a \in A_1 \quad (3)$$

$$t_a(q_a) = t_a^0 [1 + \alpha_a (\frac{q_a}{\Lambda_a})^{b_a}] \quad , \forall a \in A \quad (4)$$

$$\sum_{r \in R^w} F_m^{w,r} = D_m^w \quad , \forall w \in W, \forall m \in M \quad (5)$$

$$\sum_{w \in W} \sum_{r \in R^w} F_m^{w,r} \delta_{m,a}^{w,r} = f_{m,a} \quad , \forall a \in A, \forall m \in M \quad (6)$$

$$F_m^{w,r} \geq 0 \quad , \forall w \in W, \forall m \in M, \forall r \in R^w \quad (7)$$

$$PS_m^{w,r} = \sum_{a \in A} (\frac{l_a}{l_r}) (\frac{1}{\sum_{r \in R^w} \delta_{m,a}^{w,r}}) \quad , \forall w \in W, \forall m \in M, \forall r \in R^w \quad (8)$$

ULMP:

$$\min_{I_a} \quad Z_u = TTC(I_a) + \frac{TAC(I_a)}{\sigma} \quad (9)$$

s.t.

$$\begin{aligned} TTC(I_a) = & \sum_{a \in A} \{ (1 - I_a) [(\eta_0 \bar{t}_a + \theta_0 l_a) (\bar{f}_{0,a} + \bar{f}_{1,a})] \\ & + I_a [(\eta_0 \bar{t}_a + \theta_0 l_a) \bar{f}_{0,a} + (\eta_1 \bar{t}_a + \theta_1 l_a) \bar{f}_{1,a}] \} \quad (10) \end{aligned}$$

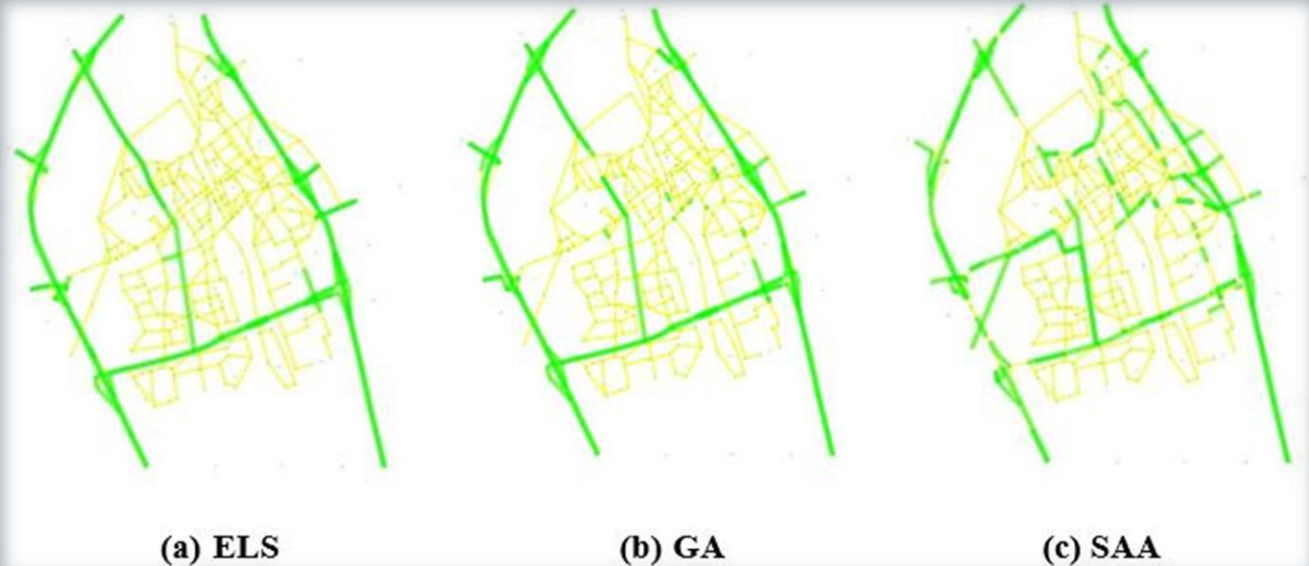
$$TAC(I_a) = \sum_{a \in A} I_a a c_a \quad (11)$$

$$I_a (1 - I_a) = 0 \quad , \forall a \in A \quad (12)$$

$$\left| p_{\hat{c}_a}^{s,j} \right| \geq 1 \quad , \forall s, t \in N_1 \quad (13)$$

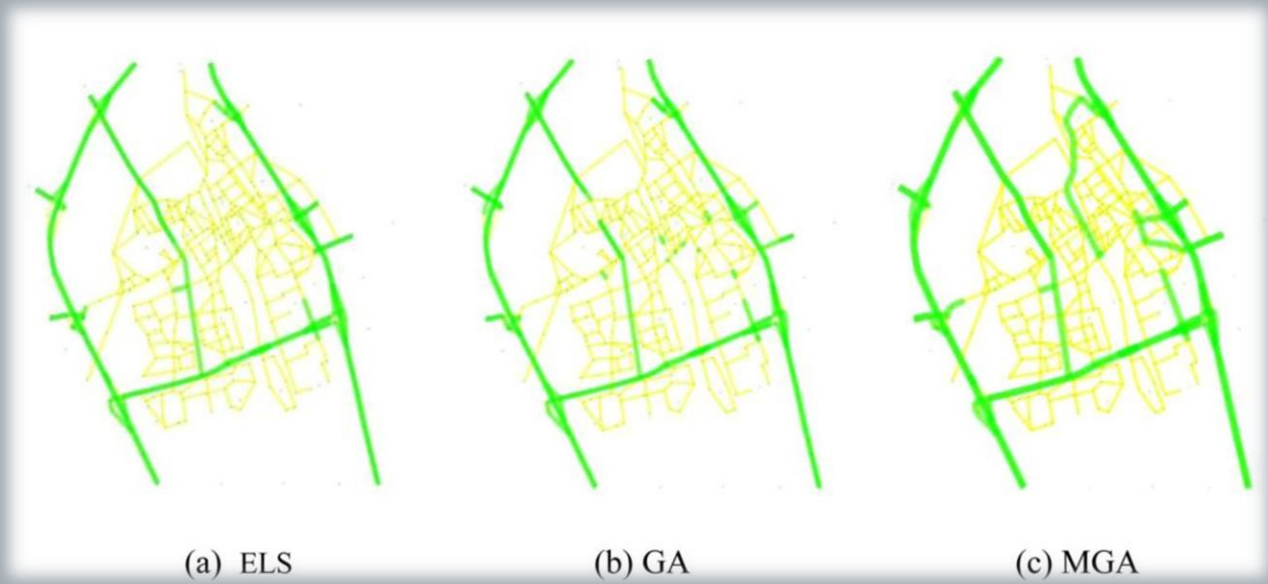
DELFT CASE 2: LESSONS LEARNED

Disconnected Subnetworks!



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Disconnected Subnetworks!



DELFT CASE 2: LESSONS LEARNED

Dependency on adjustment cost and demand



10% high cost

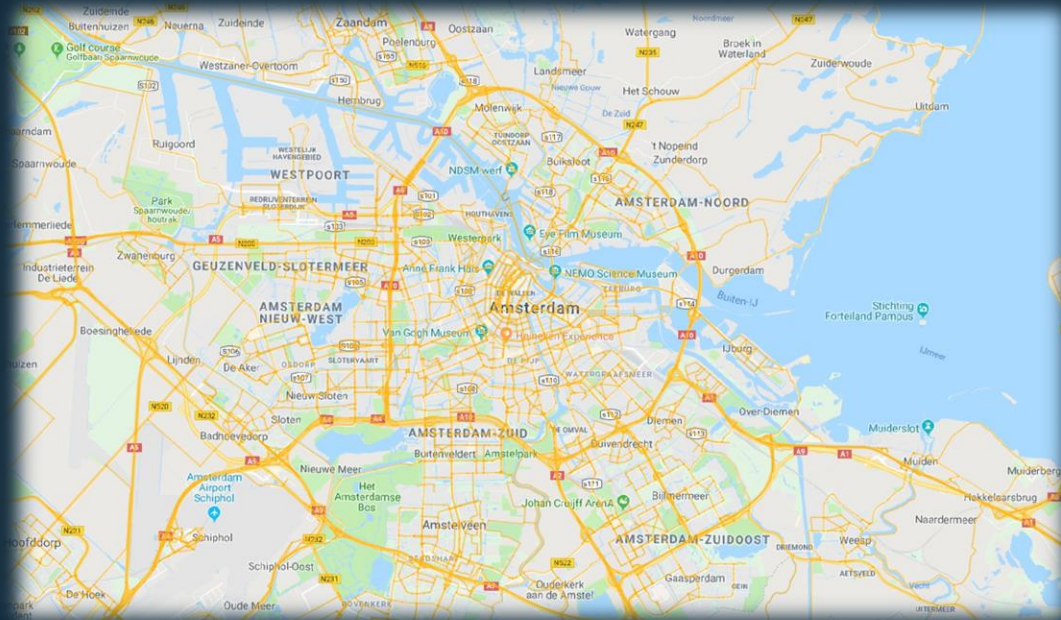


90% low cost

RESEARCH QUESTION

What is the optimal order and timing for the adjustments?

Amsterdam case study 1



MULTI-STAGE OPTIMIZATION OF ROAD NETWORKS FOR AUTOMATED DRIVING

Purpose:

Tri-level optimization problem

Can we solve this for a realistic network?

Behavioral (transport-related) insights from case study

Methodology:

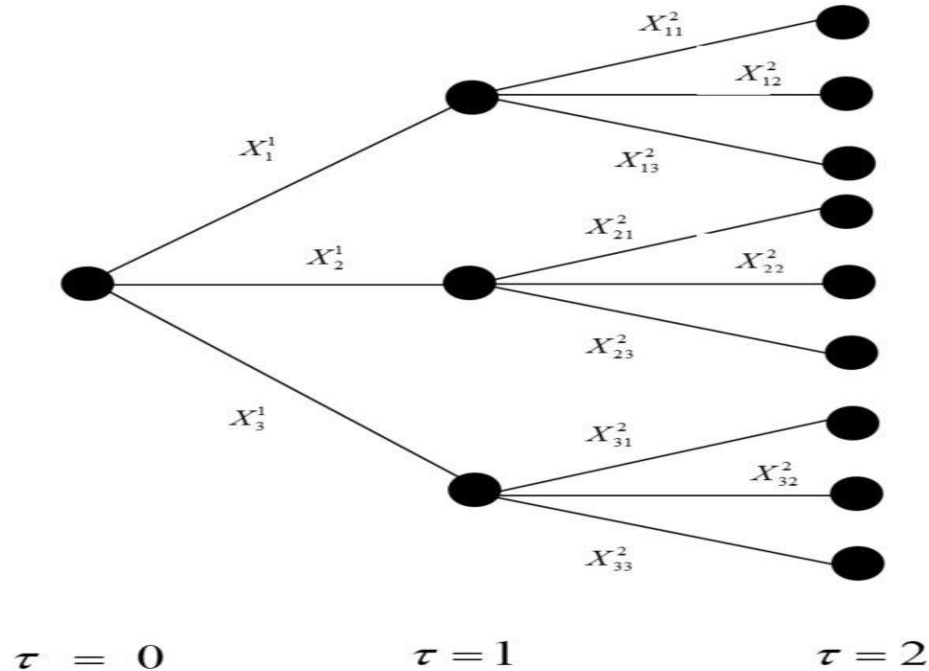
Formulate the optimization problem

Find (develop) solution methods & measure performance

Analyze results

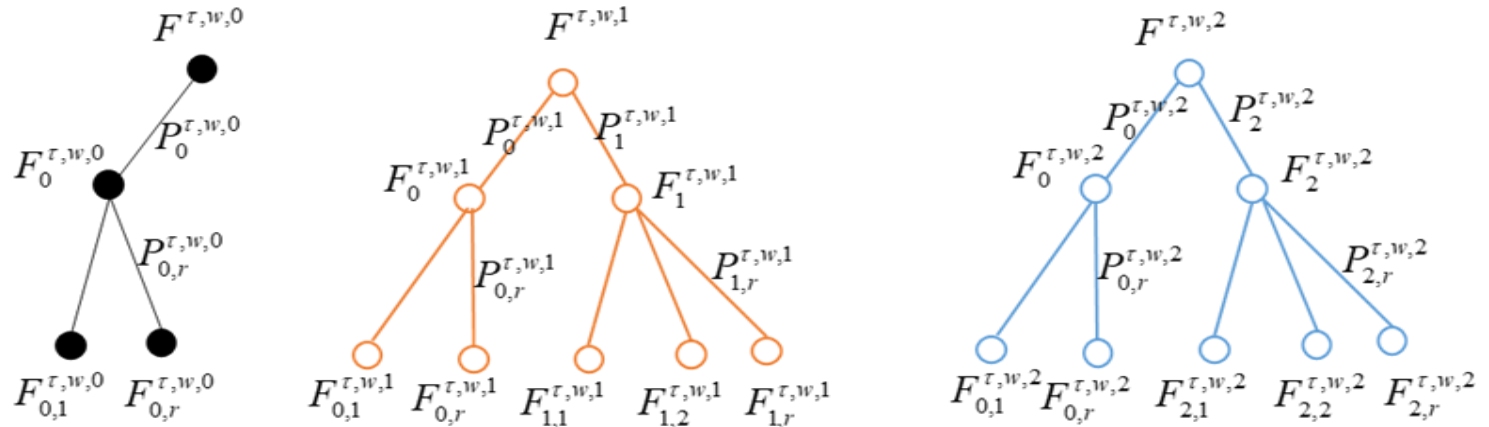
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Upper level decision choice tree



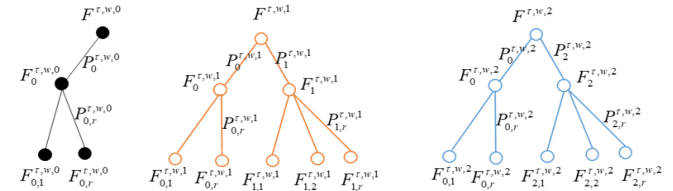
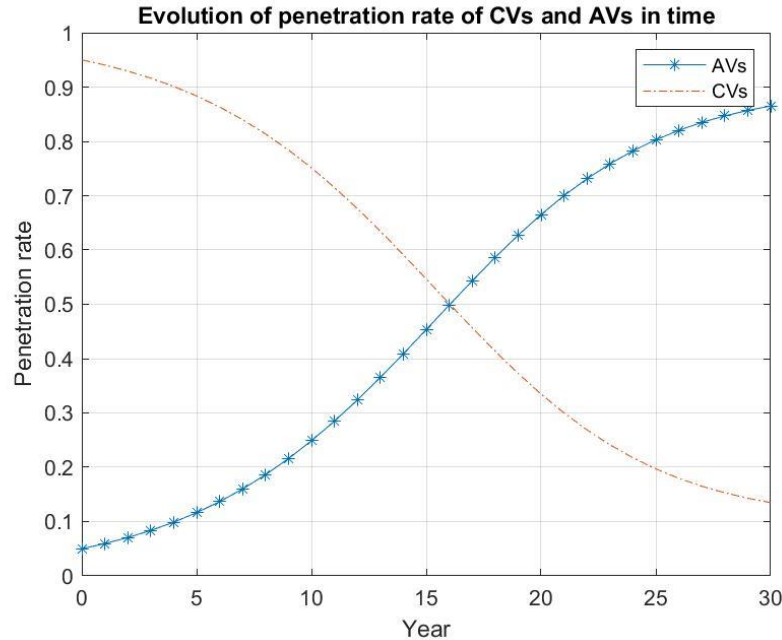
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Lower level decision choice tree



MULTI-STAGE OPTIMIZATION OF ROAD NETWORKS FOR AUTOMATED DRIVING

AV Diffusion model



AMSTERDAM CASE STUDY (VENOM MODEL)

52,810 links
10,124 OD pairs

Several
municipalities



AMSTERDAM CASE STUDY

52,810 links in the network (52,810 lower level decision variables)



AMSTERDAM CASE STUDY

5801 feasible links (2^{5804} combinations for upper level solution)



AMSTERDAM CASE STUDY: UPPER LEVEL SOLUTION ALGORITHMS

GA

Out of the box
Augmented time
Connectivity penalty

EPS

Adapted
Tailored

EGS

Novel
Fully tailored

AMSTERDAM CASE 1: LESSONS LEARNED

Evolution of networks and connectivity

t = 0



AMSTERDAM CASE 1: LESSONS LEARNED

Evolution of networks and connectivity

t = 0



AMSTERDAM CASE 1: LESSONS LEARNED

More cars and increased TT!
Shift towards the main roads



Before



After

AMSTERDAM CASE 1:

To do:

Distribution of accessibility and mode choice

Demand supply interactions: proactive v.s. reactive
Waiting for the demand or provoking it?



QUESTIONS?

