

Magnetostriction - a way to detect lattice contributions to the magnetocaloric effect in CoMnSi based materials

A Barcza, K G Sandeman

Department of Materials Science
Device Materials Group
University of Cambridge

31 Oct 2008 / Delft Days on Magnetocalorics



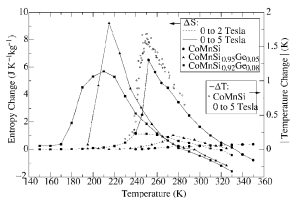
Outline

- 1 Introduction
 - Motivation
 - Total entropy change
- 2 Examples
 - Well studied materials
- 3 Results on CoMnSi-based compounds
 - Magnetic data
 - Capacitance dilatometry
 - Calorimetry
- 4 Conclusions

Why do we study CoMnSi based alloys?

CoMnSi based compounds are:

- relatively cheap metals
- not (very) toxic alloys
- magnetic properties can be tailored by substituting elements



- maximal entropy changes of $\sim 10 \text{ J/kgK}$ in magnetic field changes from 0 T to 5 T around room temperature
- What are the individual contributions to the total entropy change?

Total entropy change

To a first order approach the total entropy change can be split up into individual parts:

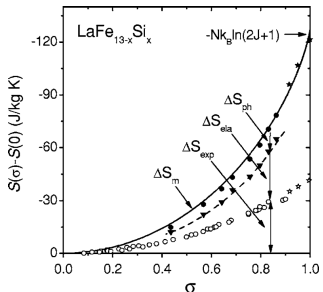
$$\Delta S_{total}(T, H, V) = \Delta S_{lat}(T, H, V) + \Delta S_{el}(T, V) + \Delta S_{mag}(T, H, V)$$

- $\Delta S_{lat} = \Delta S_{ph} + \Delta S_{ela}$
- $\Delta S_{el} = \gamma T$
- $\Delta S_{mag}^{max} = -Nk_B \ln(2J + 1)$

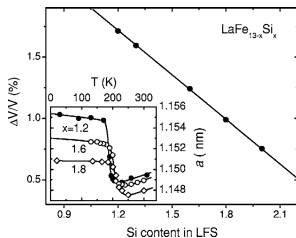
Total entropy change

The individual parts have only been studied in a very small number of compounds:

- LaFeSi: magnetic entropy change dominates but is reduced by a large opposed lattice entropy



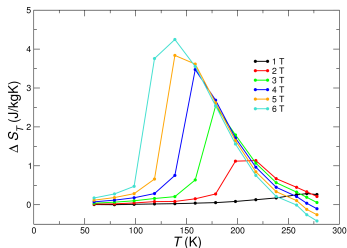
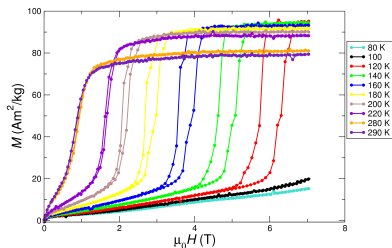
Jia et al., J. Appl. Phys. **100** 123904 (2006)



Isothermal magnetisation

$\text{Co}_{0.95}\text{Ni}_{0.05}\text{MnSi}$:

- Isothermal entropy change ΔS_T was calculated from magnetisation data via the Maxwell equation.
- maximal entropy change of $\sim 6 \text{ J/kgK}$

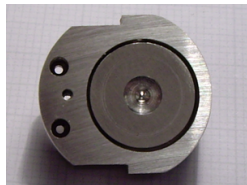
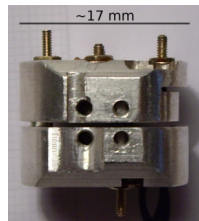


- What are the individual contributions to the total entropy change?

Thermal expansion and magnetostriction

Capacitance dilatometry is a macroscopic method:

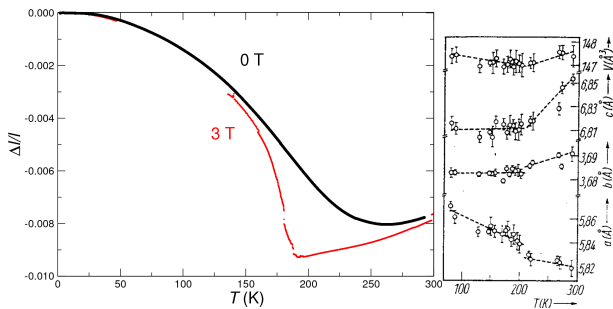
- measuring length change of a macroscopic sample under various conditions
- with very high sensitivity $\frac{\Delta l}{l} \sim 10^{-9}$
- having a simple design
- useable in a wide range of temperatures (0.01 K - 1000 K) and magnetic fields (50 T)



$$\text{dilation} \sim \frac{\text{area}}{\text{capacitance}}$$

Thermal expansion of $\text{Co}_{0.95}\text{Ni}_{0.05}\text{MnSi}$

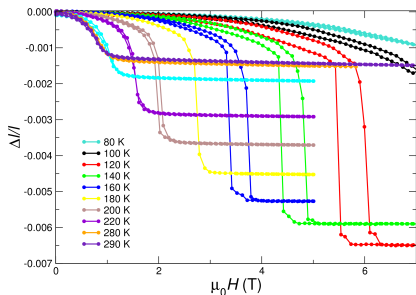
- negative thermal expansion from 2 K to metamagnetic transition temperature
- broad transition in zero magnetic field around 250 K
- magnetic field shifts transition to lower temperatures
- samples break during magnetic field sweeps!



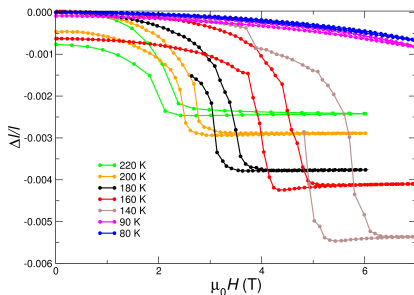
S. Nizioł et al., Phys. Stat. Sol. (a) 45 591 (1978)

Magnetostriction of $\text{Co}_{0.95}\text{Ni}_{0.05}\text{MnSi}$

- very large magnetostriction values up to 0.5 % in 6 T
- volume changes during the magnetic field induced phase transition
- transition becomes more first order at lower temperatures

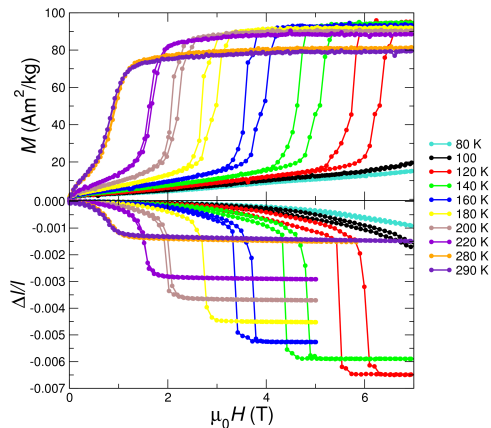


temperature dependent transversal magnetostriction of $\text{Co}_{0.95}\text{Ni}_{0.05}\text{MnSi}$



longitudinal magnetostriction

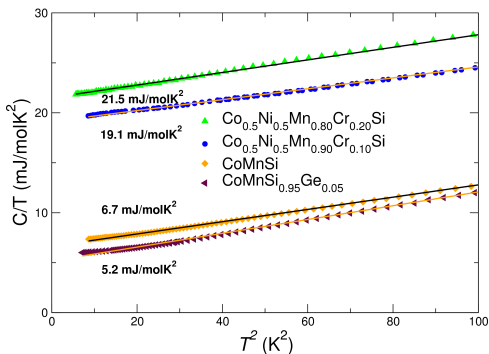
Magnetostriction versus magnetisation



- critical fields match very well!
- coefficient of magnetostriction increases with decreasing temperature
- lattice contraction has a contribution to the total entropy

Heat capacity

- large difference in electronic heat capacity between antiferro- and ferromagnetic materials
- expected to have similar order of magnitude in **one** material
- electronic part of entropy during the antiferro- to ferromagnetic transition is expected to be $\Delta S_{el} \sim 30 \text{ J/kgK}$ for $T_t = 280 \text{ K}$



Conclusions:

- we performed macroscopic thermal expansion, magnetostriction, and heat capacity measurements
- results suggest large electronic and lattice contributions
- magnetic contributions for the order-order transition are expected to be smaller

Acknowledgements:

Herwig Michor, TU Vienna for heat capacity measurements